

4.-

$$W = \Delta E_p$$

$$E_p = -G \frac{Mm}{r}$$

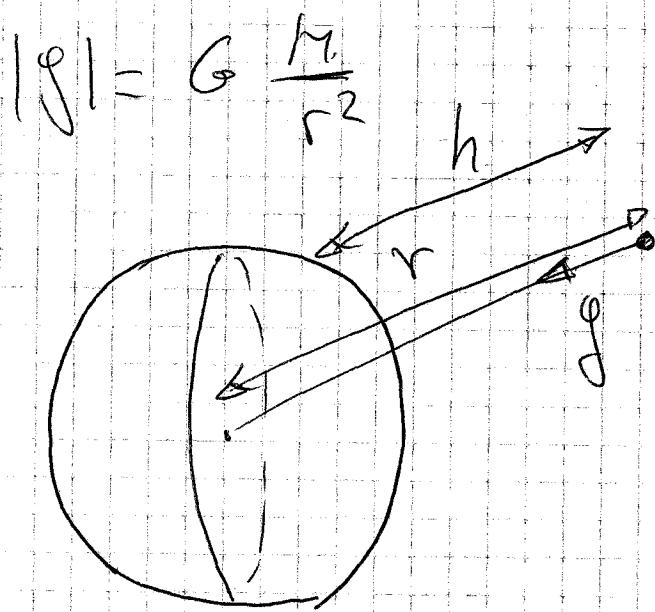
$$W = - (E_{pf} - E_{pi})$$

a) VEROADEIRN

2.-

$$\text{Peso} = m \cdot g$$

campo gravitatorio



h aneade \Rightarrow Pdimin.

r aneade \Rightarrow g
dm.sue

Pax 1

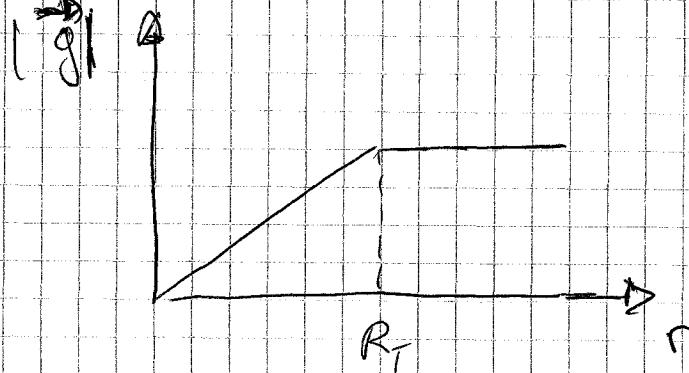
3.-

$$|\vec{g}| = G \frac{M}{r^2} \Rightarrow \rho = \frac{M}{V} \xrightarrow{\uparrow} \text{masa de Tierra}$$

\uparrow
densidad

$$V = \frac{4}{3} \pi r^3$$

$$|\vec{g}| = \frac{G \rho \cdot \frac{4}{3} \pi r^3}{r^2} = \frac{G \rho \cdot 4\pi r}{3}$$



4.-

R e $4R$.

$$\frac{T_1^2}{R^2} = \text{cte}$$

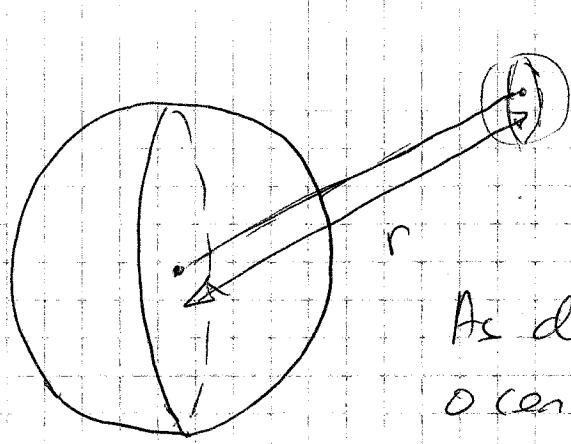
$$\frac{T_2^2}{(4R)^2} = \frac{T_2^2}{16R^2}$$

$$\frac{T_1^2}{R^2} = \frac{T_2^2}{(4R)^2} \Rightarrow \frac{T_1^2}{R^2} = \frac{T_2^2}{64R^2} \Rightarrow 64T_1^2 = T_2^2$$

$$T_2 = 8T_1$$

Pax 2

S_0



As distâncias horárias desde
o centro dos planetas

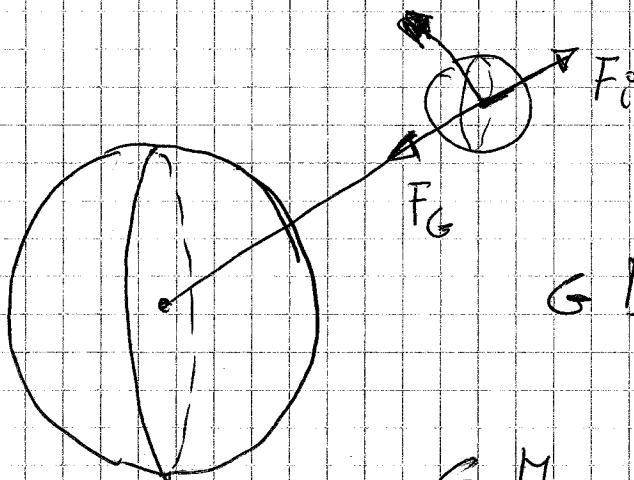
a) O mesmo

6.-

$$m_A > m_B$$

$$r_A < r_B$$

a)



$$G \frac{Mm}{r^2} = m \frac{V^2}{r}$$

$$G \frac{M}{r^2} = \frac{V^2}{r} \Rightarrow V^2 = \frac{GM}{r}$$

$$\begin{aligned} V_A^2 &= G \frac{M}{r_A} \\ V_B^2 &= G \frac{M}{r_B} \end{aligned}$$

$$r_A < r_B \Rightarrow V_A^2 > V_B^2$$

(SI)

b)

$$V^2 = \frac{GM}{r} ; \quad \omega^2 r^2 = \frac{GM}{r} \Rightarrow \frac{4\pi^2 r^3}{T^2} = \frac{GM}{r}$$

$$\frac{4\pi^2 r^3}{T^2} = \frac{GM}{r}$$

$$\frac{T_A^2}{r_A^3} = \frac{4\pi^2 r_A^2}{GM}$$

$$\frac{T_B^2}{r_B^3} = \frac{4\pi^2 r_B^2}{GM}$$

$$r_A < r_B \Rightarrow T_A < T_B$$

(NON)

Pax.

9) Energia mecânica $E_m = E_c + E_p$

$$E_c = \frac{1}{2} m v^2, E_p = -G \frac{Mm}{r}$$

$$G \frac{Mm}{r^2} = m \cdot v^2$$

$$E_c = \frac{1}{2} m v^2 = \frac{1}{2} G \frac{Mm}{r}$$

$$E_m = E_c + E_p = \frac{1}{2} G \frac{Mm}{r} + \left(-G \frac{Mm}{r} \right)$$

$$E_m = G \frac{Mm}{r} \left(\frac{1}{2} - 1 \right) = -\frac{1}{2} G \frac{Mm}{r}$$

$$(E_m)_A = -\frac{1}{2} G \frac{Mm_A}{r_A}$$

$$(E_m)_B = -\frac{1}{2} G \frac{Mm_B}{r_B}$$

NON

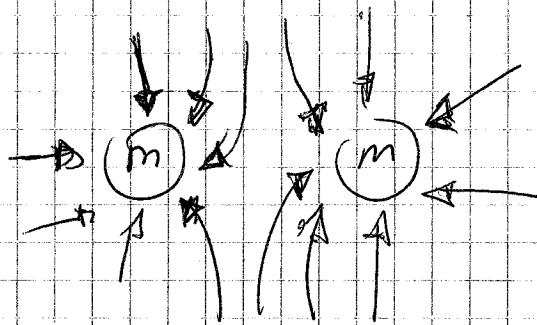
F. -

- a) O campo gravitatorio é un campo conservativo, o traballo non depende da traxectoria como consecuencia de ser conservativo

$$W = -\Delta E_p$$

FALSA

- b) As liñas de campo gravitatorio nunca se polden cortar



O campo solo ten un valor para cada punto do espazo

FALSA.

c)

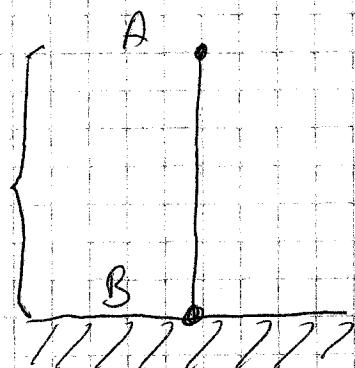
- En un campo conservativo conservase a enerxía mecánica

$$(E_C)_A = (E_p)_B$$

VERDADEIRA.

8.- O campo gravitacional é um campo conservativo, pelo tanto

$$(E_p)_A = (E_c)_B$$



$$mgh_A = \frac{1}{2}mv_B^2$$

Isso só vale para alturas
cercanas à Terra.

c) As duas ó mesmo tempo

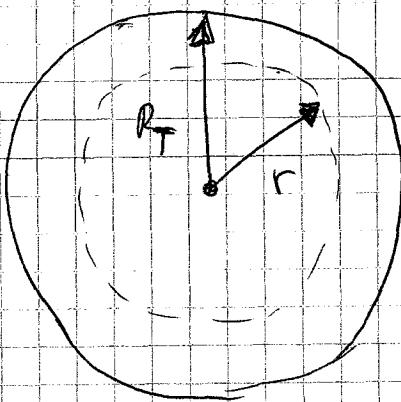
9.- Como varia g com distância ao centro
da Terra ou com altura.

$$g = G \frac{M}{r^2}$$

$$\text{para a superfície da Terra } g_T = G \frac{M_T}{r_T^2}$$

$$\text{fazendo } g_0 = G \frac{M_T}{r_T^2} \quad (\text{para a Terra})$$

Quando estamos no interior da Terra a massa
não é a mesma total da Terra seção muito
menor.



$$g = G \frac{mass}{r^2}$$

mass para radio r ?

$$d = \frac{m}{V}$$

Volumen dunha esfera $\frac{4}{3} \pi r^3$

$$m = \rho V$$

Los densidade da Terra supónse
constante

$$m = \rho \frac{4}{3} \pi r^3$$

$$g = G \rho \frac{\frac{4}{3} \pi r^3}{r^2}, g = G \rho \frac{4}{3} \pi r$$

Dentro do interior da Terra g crece
con distancia o centro

$$g_0 = G \frac{M_T}{R_T^2}; M_T = \rho \frac{4}{3} \pi R_T^3$$

$$g_0 = G \frac{\rho \frac{4}{3} \pi R_T^3}{3 R_T^2}; g_0 = G \rho \frac{4 \pi R_T}{3}$$

$$g = G \rho \frac{\frac{4}{3} \pi r^3}{r^2}; g = G \rho \frac{4 \pi r}{3}$$

$$G\rho = \frac{3 g_0}{4 \pi R_T}$$

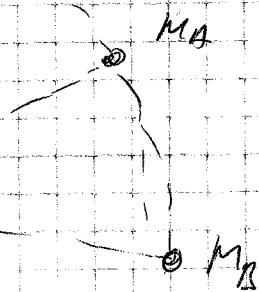
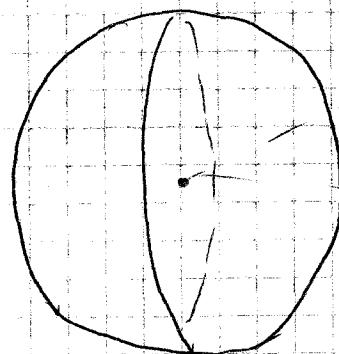
$$g = \frac{G g_0}{R^2} \cdot \frac{M_{\oplus}}{R}$$

$$g = \frac{g_0 r}{R}$$

50.-

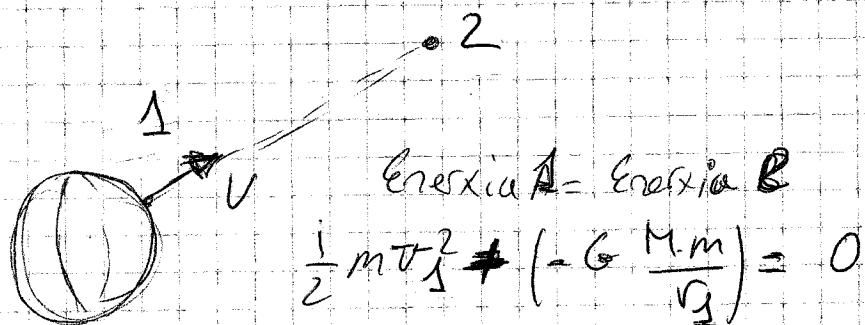
$$M_A = 2 M_B$$

R



$$M_B = 2 M_A$$

a) Velocidade de escape, o lugar onde
xa non son atraidos pola Terra.



$$\text{Energia A} = \text{Energia B}$$

$$\frac{1}{2} m v_1^2 + (-G \frac{M \cdot m}{r}) = 0$$

Energia en 2 = 0 porque non ten velocidade
para separarse movente, non este sometido a forza
de atracción.

$$\frac{1}{2} m v_1^2 = G \frac{M \cdot m}{r}, \quad v_1 = \sqrt{\frac{2GM}{r}}$$

Non depende da masa. VERDADEIRA.

Pax 9

6)

Período de rotación

$$G \frac{Mm}{r^2} = m \frac{v^2}{r} \Rightarrow G \frac{M}{r^2} = \frac{v^2}{r}$$

$$G \frac{M}{r^2} = \frac{\omega^2 r^2}{T^2} \quad \text{X} \quad G \frac{M}{r^2} = \frac{4\pi^2}{T^2}$$

$$T^2 = \frac{4\pi^2 r^3}{GM}$$

O período de rotação não depende da massa
FALSO

c)

$$E_m = \frac{1}{2} mv^2 + \left(-G \frac{Mm}{r} \right)$$

$$E_m = -\frac{1}{2} G \frac{Mm}{r}$$

$$E_{m_1} = -\frac{1}{2} G \frac{M \cdot m_1}{r}$$

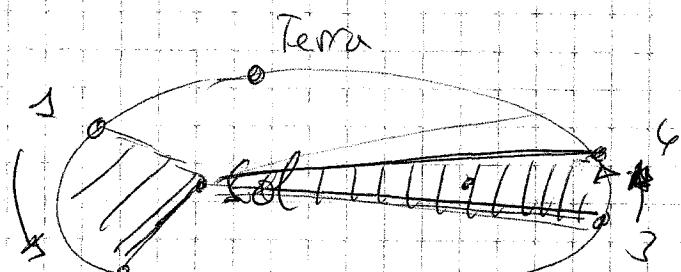
$$E_{m_2} = -\frac{1}{2} G \frac{M \cdot m_2}{r}$$

ficam diante essa é a mecânica.

Paxlo

55 -

$$\vec{P} = m\vec{v}$$
 momento linear
$$\vec{L} = \vec{r} \wedge \vec{P}$$
 momento angular



Velocidades diferentes

$\vec{P} \neq$ constante

$$\frac{d\vec{L}}{dt} = \frac{d\vec{r}}{dt} \wedge \vec{P} + \vec{r} \wedge \frac{d\vec{P}}{dt}$$

$$\frac{d\vec{L}}{dt} = \frac{d\vec{r}}{dt} \wedge m\vec{v} + \vec{r} \wedge m \frac{d\vec{v}}{dt}$$

$$\frac{d\vec{L}}{dt} = \vec{r} \wedge m\vec{v} + \vec{r} \wedge m\vec{a}$$

$$\frac{d\vec{L}}{dt} = \vec{r} \wedge m\vec{v} + \vec{r} \wedge m\vec{a}$$

$\sin \theta = 0$ $\vec{r} \wedge \vec{F}$

força central a gravitação, o vetor de posição e a força terão a mesma direção

$$\vec{r} \wedge \vec{F} = 0 \quad \sin \theta = 0$$

Pax 51

$$\vec{P} \neq cte$$

$$L = cte$$

c) VERDADERA

12.-

$$T_1 = 3'66 \cdot 10^2 \text{ días}$$

$$T_2 = 4'32 \cdot 10^2 \text{ días}$$

$$R_1 = 1'49 \cdot 10^{11} \text{ m}$$

$$R_2 ?$$

$$\frac{T^2}{R^3} = \text{cte}$$

$$\frac{T_1^2}{R_1^3} = \frac{T_2^2}{R_2^3}$$

$$R_2^3 = R_1^3 \frac{T_2^2}{T_1^2}$$

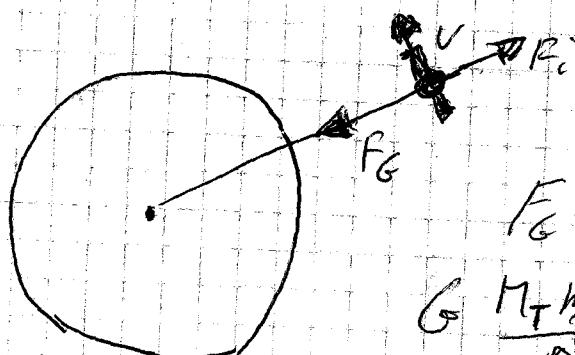
$$T_2 > T_1 \Rightarrow$$

$$\frac{T_2^2}{T_1^2} > 1$$

$$R_2 > R_1$$

Question n° 13

Satélite en órbita circular $T = 24 h$



$$F_G = F_C$$

$$G \frac{M_T m}{r^2} = m \frac{\pi^2 r^2}{T^2}$$

$$G \frac{M_T}{r} = \omega^2 r^2 \Rightarrow G \frac{M_T}{r} = \frac{4\pi^2}{T^2} r^2$$

$$G \frac{M_T T^2}{4\pi^2} = r^3$$

$$r = \left(\frac{T^2 G M_T}{4\pi^2} \right)^{1/3}$$

a) Si

b) en función de g_0

$$g_0 = \frac{G M_T}{r^2}$$

$$r = \left(\frac{g_0 r^2 T^2}{4\pi^2} \right)^{1/3}$$

NON

T en lugar de g^2

c) now

Questión n° 14.

O radio de orbita dun satélite que xera amedas da Terra é:

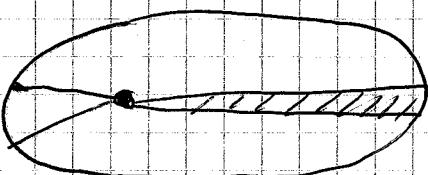
$$F_G = F_i \quad ; \quad G \frac{M_T M}{r^2} = m \frac{v^2}{r} \quad ; \quad G \frac{M_T M}{r^2} = m \frac{4\pi^2 r}{T^2}$$

$$r^3 = \frac{G M_T T^2}{4\pi^2}$$

$$r = \frac{G M_T}{\pi^2 T^2}$$

Reduce a súa velocidade o radio aumenta.

Questión 15



$$\vec{P} = m \cdot \vec{V}$$

2º lei de Kepler

O planeta cruce arreos iguais en tempo iguais

$$\vec{V} \neq \text{constante}$$

$$\vec{L} = \vec{r} \times \vec{P} \quad ; \quad \vec{L} = \vec{r} \times m \vec{V}$$

$$\frac{d\vec{L}}{dt} = \frac{d}{dt} (\vec{r} \times m \vec{V}) = \frac{d\vec{r}}{dt} \times m \vec{V} + \vec{r} \times m \frac{d\vec{V}}{dt}$$

$$= \vec{r} \times m \vec{V} + \vec{r} \times m \vec{a}.$$

Pax 14

$$\vec{r} \wedge \vec{m}\vec{v} = |\vec{r}| |\vec{m}\vec{v}| \sin 90^\circ = 0$$

$$\vec{r} \wedge \vec{m}\vec{a} = \vec{r} \wedge \vec{F}$$

A força gravitacional é uma força central, então a força do vetor de posição é a força leva a mesma direção

$$|\vec{r} \wedge \vec{F}| = |\vec{r}| |\vec{F}| \sin 90^\circ = 0$$

$$\frac{d\vec{L}}{dt} = 0$$

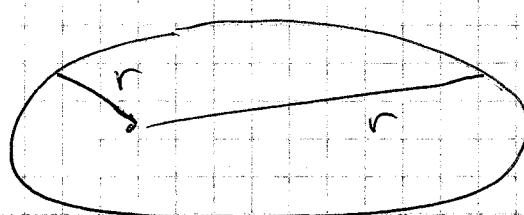
a) $\vec{P} \neq cte$ now

b) $\vec{L} = cte$ si

c)

$$E_p = -G \frac{M.m}{r}$$

r varia $\Rightarrow E_p$ varia.



Cuestión n° 16

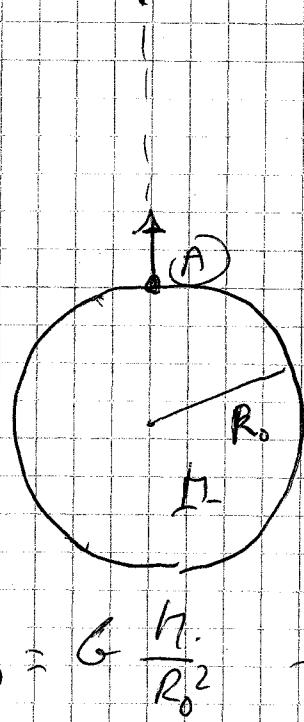
Forza central \vec{F} e \vec{r} leva a mesma direção

$$\frac{d\vec{L}}{dt} = \frac{d(\vec{r} \wedge \vec{m}\vec{v})}{dt} = \frac{d\vec{r} \wedge \vec{m}\vec{v} + \vec{r} \wedge \vec{m} \frac{d\vec{v}}{dt}}{dt}$$

$$= \vec{v} \wedge \vec{m}\vec{v} + \vec{r} \wedge \vec{m}\vec{a} = 0$$

Cuestión n° 17.

②



$$f_0 = G \frac{M}{R_0^2}$$

Energia (A) = Energia B

$$(E_p)_A + (E_k)_A = 0$$

$$-G \frac{Mm}{R_0} + \frac{1}{2} m V_A^2 = 0$$

$$G \frac{M}{R_0} = \frac{1}{2} V_A^2$$

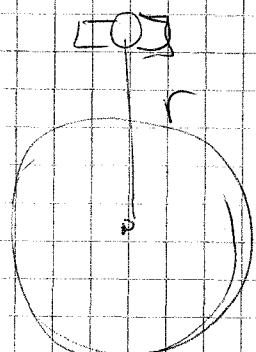
$$V_A = \left(2 \frac{GM}{R_0} \right)^{1/2}$$

$$V_A = \left(2 g_0 R_0 \right)^{1/2}$$

maior o igual $V_A = \left(2 \frac{GM}{R_0} \right)^{1/2}$

Cuestión n° 18.

a)



$$g = G \frac{M}{R^2}$$

maior gravidade, menor que na terra pera haver gravidade.

FALSA

b)

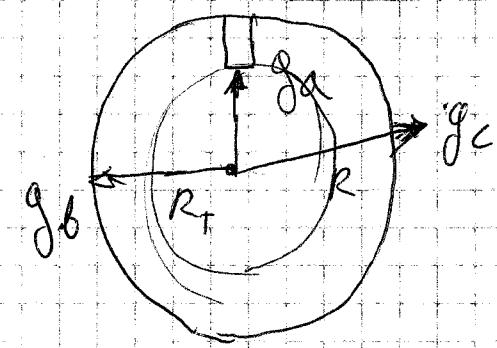
SI HAI ATMOSFERA, Respiran. FALSA

c)

$$F_i = F_g$$

VERDADERA

Question n° 19.-

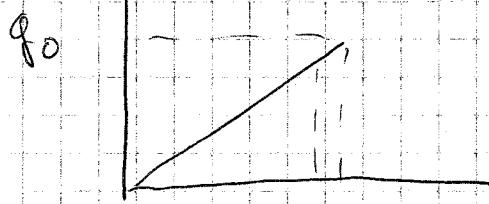


$$g_a = G \frac{M_E}{R_T^2}$$
$$g_c = G \frac{M_E}{(R_T+h)^2}$$

$$g_c < g_b.$$

g_a ?

$$g_a = G \rho \frac{\frac{4}{3}\pi r^3}{r^2} = G \rho \frac{4}{3}\pi r$$



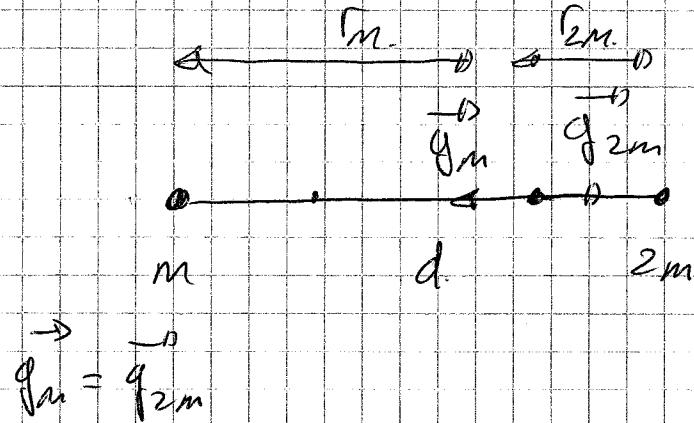
$$g_a < g_b.$$

NO ECUADOR

Pax 37

Crescenzi 1-º 20

a)

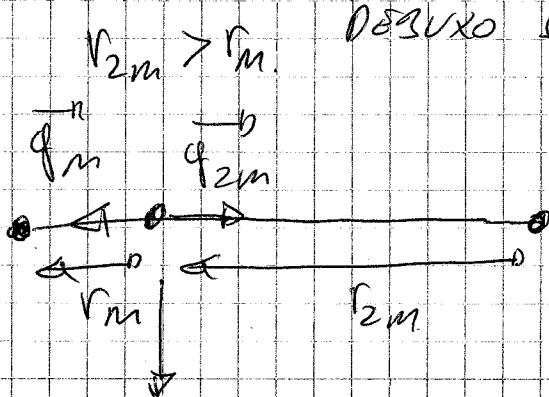


$$\vec{g}_{\text{tot}} = \vec{g}_{2m}$$

$$|g_m| = G \frac{m}{r_m^2}$$

iguales.

$$|g_{2m}| = G \frac{2m}{r_{2m}^2}$$



DESVIACIÓN EN POSICIÓN REAL!

$$\text{POTENCIAL} = G \frac{mm'}{r_m} + \left(-G \frac{2mm'}{r_{2m}} \right) = -$$

$\frac{G}{r_{2m}}$

negativo

FALSA

b)

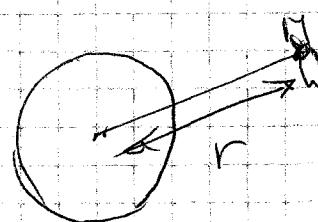
VERDADERA

c) O POTENCIAL NUNCA ES POSITIVO;

PODES SABER AL DIFERENCIA ENTRE O
POTENCIALS SOBRE DOS PUNTOS

Questión n° 21

- a) Non hai gravidece, si hai, menor que na Terra pero si hai



$$g = G \frac{M_f}{r^2}$$

- c) Non hai atmosfera, si tener oxíxeno para respirar.

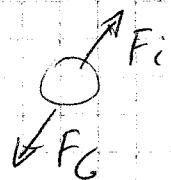
- a) VERDADERA :)

Questión n° 22

Energía → que energía?



A mecanica.



$$G \frac{M_f m}{r^2} - m \frac{v^2}{r} = m v^2 \quad mv^2 = G \frac{M_f m}{r}$$

$$\Delta_m = -G \frac{M_f m}{r^2} + \frac{1}{2} mv^2 = -\frac{1}{2} G \frac{M_f m}{r}$$

$$r = -\frac{1}{2} \frac{G M_f}{E_m}$$

$$r = \left| -\frac{1}{2} \frac{G M_f}{E_m} \right|$$

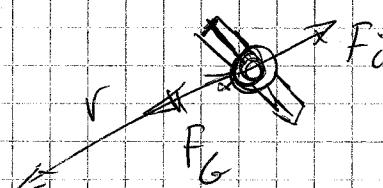
Pág 19

$$E_m \downarrow \Rightarrow r \uparrow$$

$$(E_m) \uparrow \Rightarrow r \downarrow \text{mellores}$$

b?

Questión n° 23



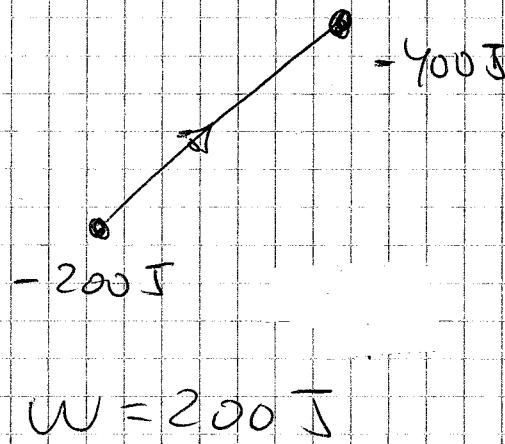
$$G \frac{M m}{r^2} = m \frac{v^2}{r} \Rightarrow m v^2 =$$

$$E_m = E_C + E_P = \frac{1}{2} m v^2 - G \frac{M m}{r}$$

$$E_m = -\frac{1}{2} G \frac{M m}{r}$$

Resposta b

Questión n° 24

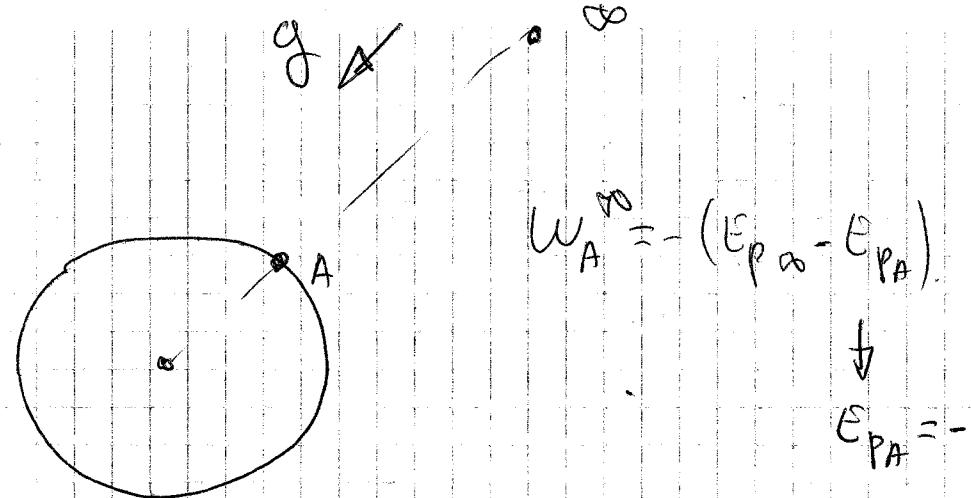


$$\omega = -\Delta E_P$$

$$\omega = -[-400J - (-200J)]$$

$$\omega = 200 \text{ J}$$

Pax20



$$(E_p - E_{pA}) =$$

$W_A g = -$

CONTRA EL CAMPO.

$W = +$ no dirección del campo

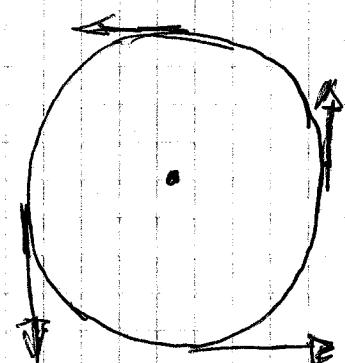
Question n° 25

$$F = m \cdot a$$

$$a = \frac{F}{m}$$

inversamente proporcional.

Question n° 26.



$$1/2 V = W_r \cdot r$$

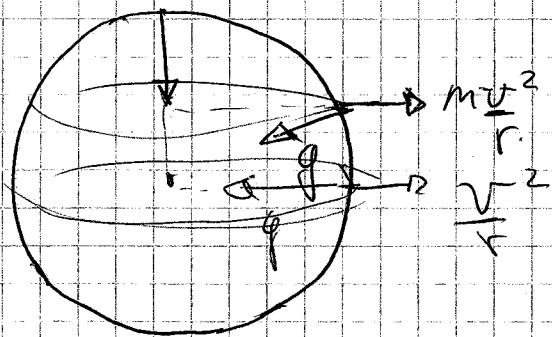
cambia a dirección pol
puesto que acelera

$$\frac{V^2}{r}$$

Resposta a)

Pax 21

Questão n° 27.



g varia com latitude!

g' , onde é máx. me?

Nos polos

Questão n° 28

a) $W = -\Delta E_p$

FORÇAS CONSERVATIVAS, NÃO DEPENDEM
DA TRAJECTÓRIA!!

29.-

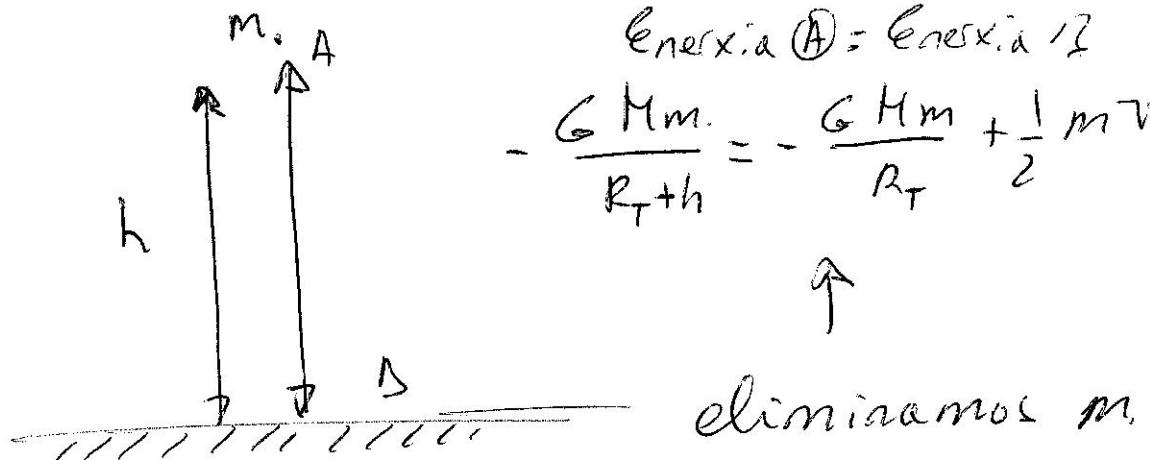
a) Campo gravitacional é un campo conservativo

$$W = -\Delta E_p \quad \underline{\text{Non}}$$

b) A enerxía conservase, pasa de cinética a potencial, pero non hai perdas non se considera rocamens.

c) Pode aumentar a enerxía cinética polo tanto Non

30.-



$$-\frac{GM}{R+h} = -\frac{GM}{R} + \frac{1}{2}v^2$$

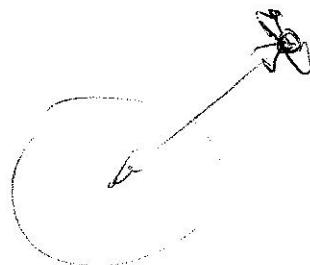
v non depende do valor de m

31.-

$$M_A < M_I$$

a)

$$E_m = E_c + E_p$$



$$E_p = -G \frac{Mm}{R} ; \quad E_c = \frac{1}{2} m r^2$$

o rotar en torno a terra, temos:

$$G \frac{Mm}{R^2} = M \frac{r^2}{T^2} \Rightarrow T^2 = \frac{GM}{R}$$

$$E_m = -G \frac{Mm}{R} + \frac{1}{2} m \frac{GM}{R} \Rightarrow E_m = -\frac{1}{2} \frac{GM}{R}$$

aparece m , non tienen a mesma energia
meccanica

b) $M_A < M_I \Rightarrow |(E_m)_A| < |(E_m)_I| \leftarrow \text{VALOR ABSOLUTO}$

$$(E_m)_A > (E_m)_I \text{ menor negativa}$$

$$\begin{aligned} E_{pA} &= -G \frac{Mm_A}{R} & \Rightarrow |E_{pA}| < |E_p| \Rightarrow (E_p)_A > (E_p)_I \\ E_{pI} &= -G \frac{Mm_I}{R} & \uparrow \text{VALOR ABSOLUTO} \end{aligned}$$

$$\begin{array}{c} (E_C)_A = \frac{1}{2} m v_A^2 \\ | \\ (E_C)_B = \frac{1}{2} m v_B^2 \end{array} \quad \begin{array}{l} v_A = v_B \\ \downarrow \\ T = \frac{GM}{r} \text{ (aportado a)} \end{array}$$

$$(E_C)_A < (E_C)_B$$

Now

c) Si, razonamiento anterior.

32.-

d)

$$\frac{T^2}{R^3} = \text{cte}$$



R desde o centro da Terra.

No teorema lei de Kepler non aparece la masa. Now

$$T = 2\pi \sqrt{\frac{l}{g}}$$

$$g = \frac{GM}{R^2}$$

$$g = \frac{GM}{R^2} ; \quad g' = \frac{GM}{\frac{R^2}{4}} \Rightarrow g' = \frac{4GM}{R^2}$$

$\omega_R = \frac{\pi}{2}$

$$T' = 2\pi \sqrt{\frac{l}{g'}} ; \quad T' = 2\pi \sqrt{\frac{l}{\frac{4GM}{R^2}}}$$

$$T = 2\pi \sqrt{\frac{l}{g}} ; \quad T = 2\pi \sqrt{\frac{l}{\frac{GM}{R^2}}}$$

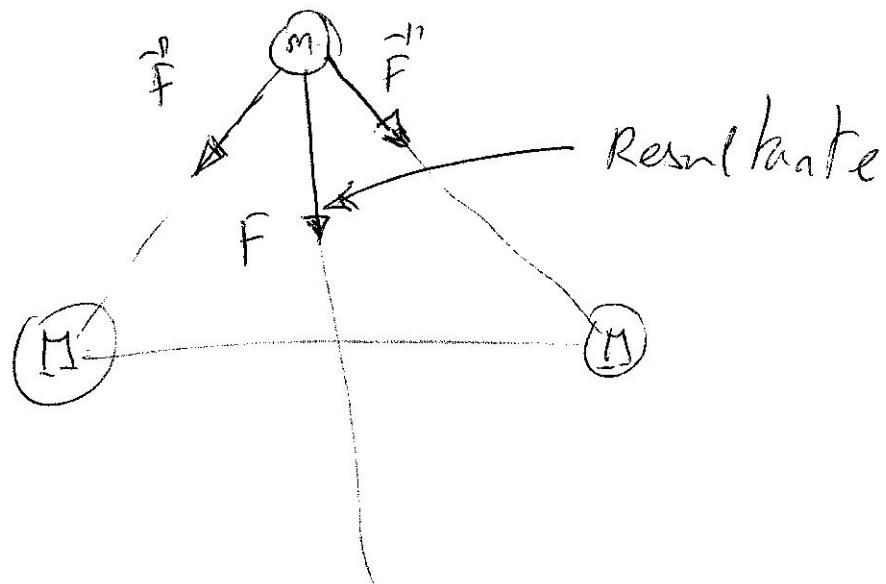
$$T' = \frac{T}{2} \quad \underline{\underline{}}$$

c) $P_{\text{grav}} = m g.$

$$g = \frac{GM}{R^2} ; \quad g' = \frac{GM}{\frac{R^2}{4}} \Rightarrow g' = \frac{4GM}{R^2}$$

NOW

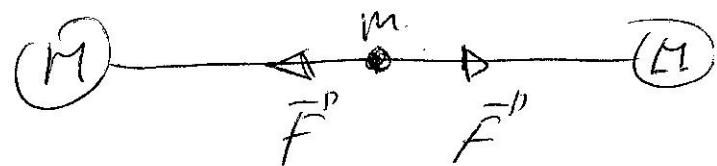
33 -



Si hay fuerza hay aceleración

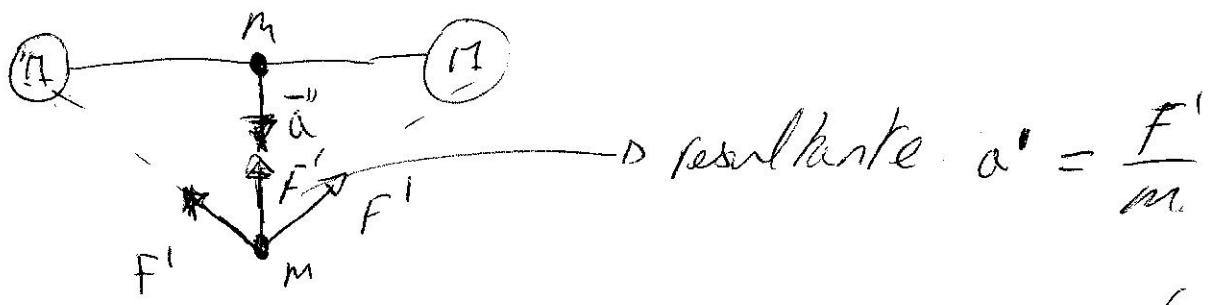
$$\vec{a} = \frac{\vec{F}}{m}$$

O chegar o punto $(0,0)$

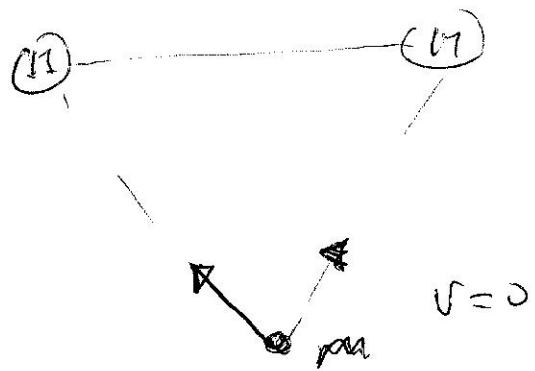


a resultante e cero

Pero lleva velocidad, porque estivo sumida a aceleración

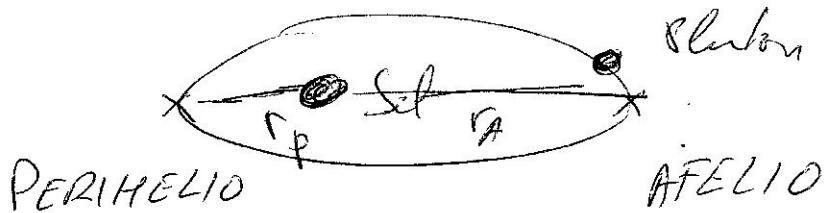


Como consequência de estas novas posições da figura está sujeito a uma aceleração para o ponto $(0,0)$ que já resulta de aceleração que não no ponto $(0,0)$



para se o movimento e comenza a ir para o ponto $(0,0)$.

34 -



a) Momento angular

$$\vec{L} = \vec{r} \wedge \vec{p}$$

$$\vec{L} = \vec{r} \wedge m \vec{v}$$

$$\frac{d\vec{L}}{dt} = \frac{d(\vec{r} \wedge \vec{p})}{dt} = \frac{d\vec{r}}{dt} \wedge m \vec{v} + \vec{r} \wedge \frac{d(m\vec{v})}{dt}$$

$$= \vec{v} \wedge m \vec{v} + \vec{r} \wedge m \frac{d\vec{v}}{dt} = \vec{v} \wedge m \vec{v} + \vec{r} \wedge m \vec{a}$$

$$|\vec{v} \wedge m \vec{v}| = \vec{v} / |\vec{m}\vec{v}| \cdot \sin 0^\circ \Rightarrow \sin 0^\circ = 0$$

$$\vec{r} \wedge m \vec{a} = \vec{r} \wedge \vec{F}; |\vec{r} \wedge \vec{F}| = |\vec{r}| / F \cdot \sin 90^\circ; d = 0$$

b)

$$\vec{p} = m \vec{v}$$

Força gravitacional, força central. \vec{F} e \vec{r} apontam a mesma direção.

$$\vec{r}_A < \vec{v}_P$$

$$\vec{p}_A < \vec{p}_P$$

NON: FALSA

c)

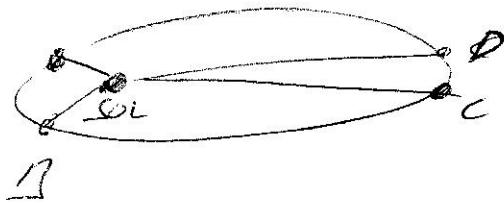
$$U = -G \frac{Mm}{r}; \quad U_A = -G \frac{Mm}{r_A} ; \quad U_P = -G \frac{Mm}{r_P}$$

$$|U_P| < |U_A| \Rightarrow U_A > U_P \quad \underline{\text{VERDADEIRA}}$$

35.-

a)

$$E_C = \frac{1}{2} m v^2$$



Vare áreas iguais em tempos iguais no ponto mais perto do Sol vai mais rápido

$$v \neq cte$$

$$E_C \neq 0$$

FALSA

b)

$$\vec{L} = \vec{r} \wedge \vec{p}$$

VERDADEIRA

$$\vec{L} = \vec{r} \wedge m \vec{v} \Rightarrow \frac{d\vec{L}}{dt} = 0$$

$$\frac{d\vec{L}}{dt} = \frac{d(\vec{r} \wedge m \vec{v})}{dt} = \frac{d\vec{r}}{dt} \wedge m \vec{v} + \vec{r} \wedge m \frac{d\vec{v}}{dt}$$

$\vec{r} \wedge m \vec{v} + \vec{r} \wedge \vec{F} = 0 \Rightarrow$ o primeiro termo por ser um produto vetorial e o segundo por ser forças centrais.

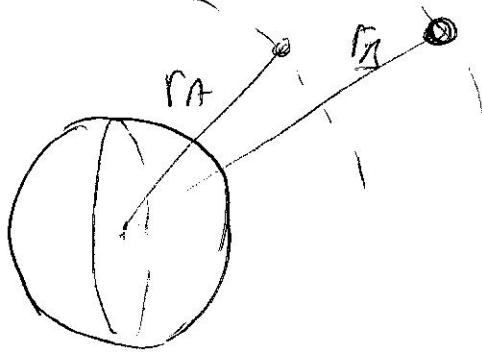
c)

$$\vec{p} = m \vec{v}$$

$$\vec{v} \neq cte \Rightarrow \vec{p} \neq cte$$

FALSA

36.-



$$a) \quad E_C = \frac{1}{2} m v^2 \quad |$$

$$E_P = -\frac{G M m}{r} \quad |$$

O igualar a força gravitacional a de massa

$$G \frac{M m}{r^2} = m \frac{v^2}{r}$$

$$E_m = E_C + E_P = -\frac{1}{2} G \frac{M m}{r}$$

$$r_A = \frac{G M}{r_A} \quad | \quad r_A < r_B \quad r_A > r_J$$

$$r_J = \frac{G M}{r_J}$$

NOW FALSA

$$b) \quad (E_P)_B = -\frac{G M m}{r_B} \quad | \quad r_A < r_B ; (E_P)_J > (E_P)_A$$

$$(E_P)_A = -\frac{G M m}{r_A}$$

VERDEMIRA

$$c) \quad E_m = -\frac{1}{2} \frac{G M}{r} \quad \text{diferente } \frac{r_A}{r_J} \quad \text{FALSA}$$

3.7 -



No ponto ① temos menor velocidade linear que no ②. Pela lei de Kepler, o radiovector da órbita ao Sol varre áreas iguais em tempos iguais.

b) Varre áreas iguais em tempos iguais significa ter velocidade angular constante.

c)

$$\mathcal{E}_c = \frac{1}{2} m v^2$$

a velocidade linear varia ao longo da elipse